

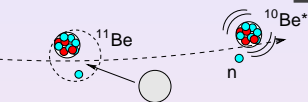
Unraveling the complexity of nuclear systems: single-particle and collective aspects through the looking glass

Possible strategies for merging structure and reaction theories in
the study of nuclei close to the dripline

Discussion session

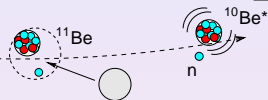
ECT*, Trento, February 2017

Microscopic models



- ✓ Fragments described microscopically
- ✓ Realistic NN interactions (Pauli properly accounted for)
- ✗ Numerically demanding / not simple interpretation.

Microscopic models

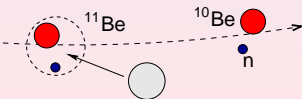


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Many-body

Few-body

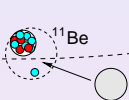
Inert cluster models



- ✗ Ignores cluster excitations (only few-body d.o.f).
- ✗ Phenomenological inter-cluster interactions (aprox. Pauli).
- ✓ Exactly solvable (in some cases).
- ✓ Achieved for 3-body and 4-body (coupled-channels, semiclassical).

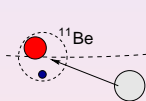
From the many-body problem to the few-body picture

Microscopic models



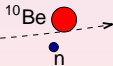
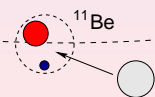
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Non-inert-core few-body models



- ✓ Few-body + some relevant collective d.o.f.
- ✓ Pauli approximately accounted for.
- ✓ Achieved for 3-body problems (coupled-channels).

Inert cluster models



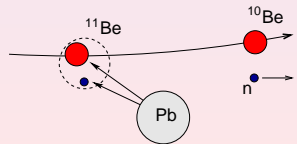
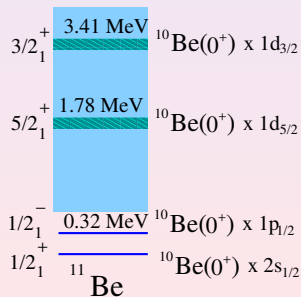
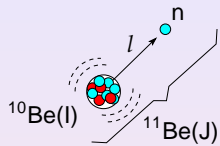
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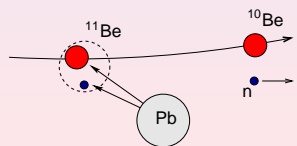
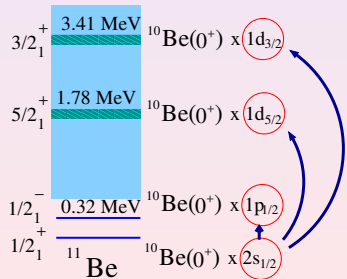
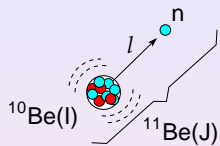
$$\Psi_{JM}(\vec{r}, \xi) = [\varphi_{\ell,j}^J(\vec{r}) \otimes \Phi_I(\xi)]_{JM}$$

- ⇒ $\varphi_{\ell,j}^J(\vec{r})$ = valence particle wavefunction
- ⇒ $\Phi_I(\xi)$ = core wavefunction (*frozen*)



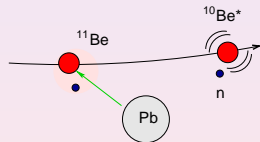
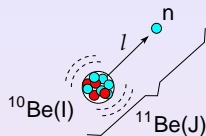
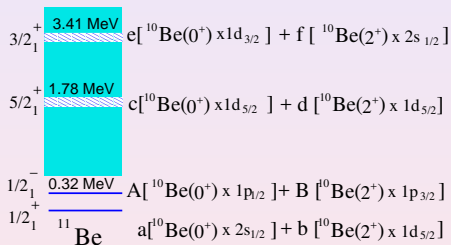
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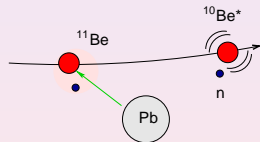
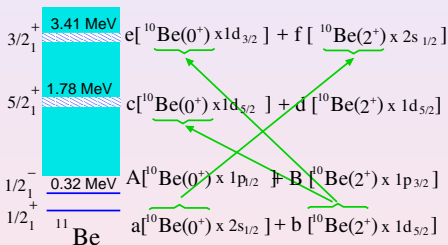
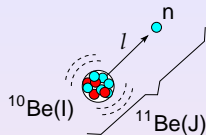
How do core excitations affect the breakup of weakly-bound nuclei?

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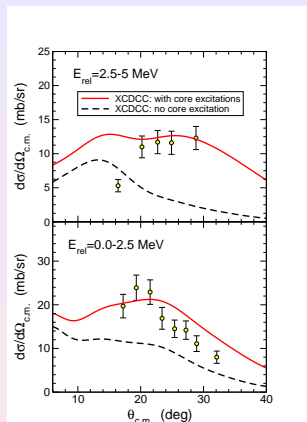
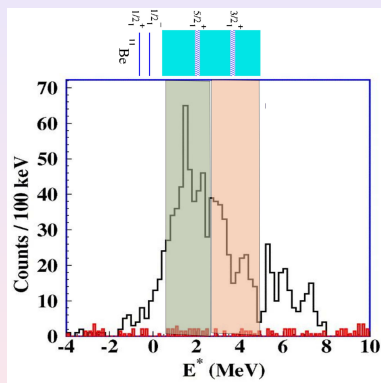
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☞ Core excitations may affect the *structure* and the *dynamics* of the reaction

Evidence of *dynamical* core excitations in $p(^{11}\text{Be},p')$ at 64 MeV/u (MSU)

Data: Shrivastava et al, PLB596 (2004) 54 (MSU)



R.de Diego et al, PRC85, 054613 (2014)

- $E_{rel}=0-2.5$ MeV contains $5/2^+$ resonance (expected **single-particle** mechanism)
- $E_{rel}=2.5-5$ MeV contains $3/2^+$ resonance (expected **core excitation** mechanism)

⇒ Dynamic core excitations gives additional (and significant!) contributions to breakup

- How to model other nuclei with not so simple two-body structure? (eg. not closed-shell cores)

Eg.: $^{19}\text{C} = ^{18}\text{C} + n?$, $^{31}\text{Ne} = ^{30}\text{Ne} + n$

- Some requirements (constraints):
 - At least degrees of freedom entering dynamically (actively)
 - Not too simplistic (eg. particle-rotor)
 - But maybe also not too complicated (need to be used in possibly complicated reaction calculation, and not hinders physics)
 - Usually, we need both bound and continuum states (overlaps, wavefunctions...)